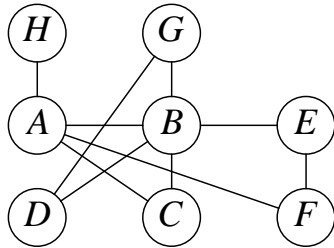
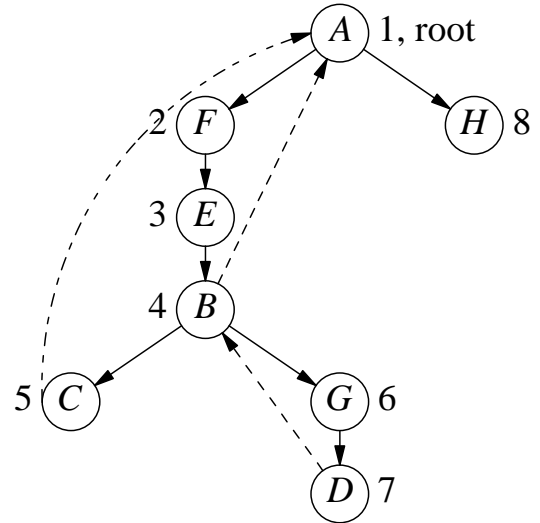


SOLUTIONS



$\text{adjList}(A) = \langle F, B, C, H \rangle$
 $\text{adjList}(B) = \langle A, C, E, G, D \rangle$
 $\text{adjList}(C) = \langle A, B \rangle, \text{adjList}(D) = \langle B, G \rangle$
 $\text{adjList}(E) = \langle B, F \rangle, \text{adjList}(F) = \langle A, E \rangle$
 $\text{adjList}(G) = \langle B, D \rangle, \text{adjList}(H) = \langle A \rangle$

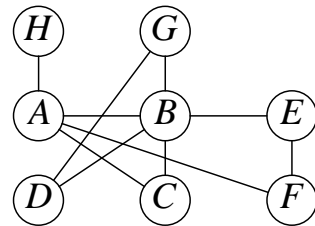


(ii) The dfTree, dfLabels, and back-edges.

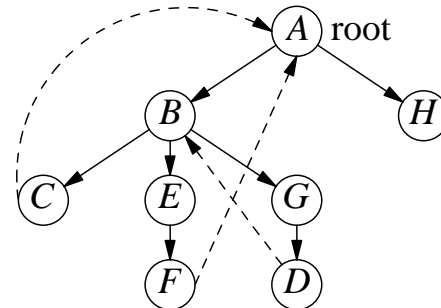
Order of Processing Links and Backtracking: StartNode = A.

(A, F)	tree-edge	(D, G)	2nd visit
(F, A)	2nd visit	backtrack	$D \rightarrow G$
(F, E)	tree-edge	backtrack	$G \rightarrow B$
(E, B)	tree-edge	(B, D)	2nd visit
(B, A)	back-edge	backtrack	$B \rightarrow E$
(B, C)	tree-edge	(E, F)	2nd visit
(C, A)	back-edge	backtrack	$E \rightarrow F$
(C, B)	2nd visit	backtrack	$F \rightarrow A$
backtrack	$C \rightarrow B$	(A, B)	2nd visit
(B, E)	2nd visit	(A, C)	2nd visit
(B, G)	tree-edge	(A, H)	tree-edge
(G, B)	2nd visit	(H, A)	2nd visit
(G, D)	tree-edge	backtrack	$H \rightarrow A$
(D, B)	back-edge	backtrack	$A \rightarrow$

SOLUTION



(i) A graph.



(ii) A depth-first tree.

Possible orderings of $\text{adjList}(A)$, etc without changing the df-tree;

- We assume below that the order of the children of each node remain the same (for example, $B = \text{firstChild}(A)$ and $H = \text{lastChild}(A)$).
- If we ignore the order, there are many more orderings; we show below two such cases for $\text{adjList}(A)$ with a "*" next to them.

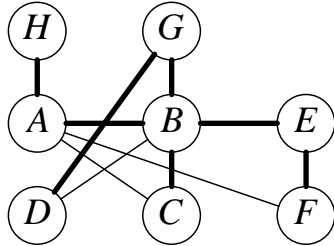
$\text{adjList}(A)$: The only restriction: C and F comes after B .
 $\langle B, C, F, H \rangle, \langle B, F, C, H \rangle, \langle B, H, C, F \rangle,$
 $\langle B, C, H, F \rangle, \langle B, F, H, C \rangle, \langle B, H, F, C \rangle,$
 $\langle H, B, C, F \rangle^*, \langle H, B, F, C \rangle^*$

$\text{adjList}(B)$: The only restriction: D comes after G
 $\langle A, C, E, G, D \rangle, \langle C, A, E, G, D \rangle, \langle C, E, A, G, D \rangle,$
 $\langle C, E, G, A, D \rangle, \langle C, E, G, D, A \rangle,$
 (55 more if we ignore the order of C, E, G .)

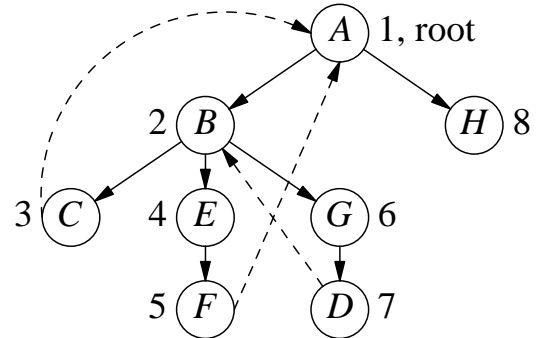
- Keeping the order of children at each node unchanged

Total = Multiply the possible number of orderings of each adjList
 $= 6 \times 5 \times 2 \times 2 \times 2 \times 2 \times 1 = 960.$

SOLUTION



$\text{adjList}(A) = \langle B, C, F, H \rangle$
 $\text{adjList}(B) = \langle A, C, E, G, D \rangle$
 $\text{adjList}(C) = \langle A, B \rangle$, $\text{adjList}(D) = \langle B, G \rangle$
 $\text{adjList}(E) = \langle B, F \rangle$, $\text{adjList}(F) = \langle A, E \rangle$
 $\text{adjList}(G) = \langle B, D \rangle$, $\text{adjList}(H) = \langle A \rangle$



(ii) The dfTree, dfLabels, and back-edges.

Step of the algorithm used in processing each edge

(A, B)	tree-edge	2d(i)	(G, B)	2nd visit	...
(B, A)	2nd visit	2d(ii)	(G, D)	tree-edge	...
(B, C)	tree-edge	2d(i)	(D, B)	back-edge	
(C, A)	back-edge	2d(ii)	(D, G)	2nd visit	
(C, B)	2nd visit	2d(ii)	backtrack	$D \rightarrow G$	
backtrack	$C \rightarrow B$	2b	backtrack	$G \rightarrow B$	
(B, E)	tree-edge	...	(B, D)	2nd visit	
(E, B)	2nd visit	...	backtrack	$B \rightarrow A$	
(E, F)	tree-edge		(A, C)	2nd visit	
(F, A)	back-edge		(A, F)	2nd visit	
(F, E)	2nd visit		(A, H)	tree-edge	
backtrack	$F \rightarrow E$		(H, A)	2nd visit	
backtrack	$E \rightarrow B$		backtrack	$H \rightarrow A$	
(B, G)	tree-edge		backtrack	$A \rightarrow$	